

# Improving Customer Service Operations at Amazon.com

9조

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Telecom Service/Policy

- Introduction
- Problem Setting
- Literature Review
- Solution Approach
- Result

## Table of Contents

- **Interface** between customer and company is very important



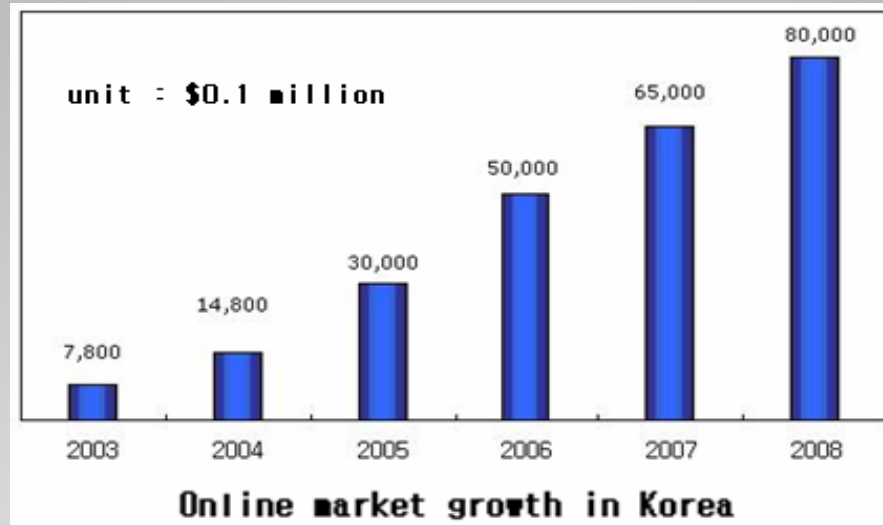
< off-line >



< on-line >

- Effects on
  - **Customer satisfaction** on the product
  - **Image** of the company

- **On-line market** has developed rapidly



- The Interface of On-line market
  - The features of company's web site
  - **Contact Center** ( Voice, E-mail )



- For good interface, online company should provide a **feedback** in certain amount of time
  - ➔ Need to **schedule** the human resource in contact center
- The objective of this paper
  - Provide the **mathematical programming** to **allocate human resource in contact center** efficiently

$$\begin{aligned}
 \min \quad & \sum_{t=1}^T \sum_{(i,j) \in \mathcal{E}} (N_t^{ij} n_t^{ij} + O_t^{ij} o_t^{ij}) + \sum_{t=1}^T \sum_{\{(i,j) \in \mathcal{E} \mid i=1\}} H_t^{ij} h_t^{ij} \\
 & + \sum_{t=1}^T \sum_{\{(i,j) \in \mathcal{E} \mid i \neq 1\}} S_t^{ij} s_t^{ij} + \sum_{t=1}^T \sum_{i \in \mathcal{C}} F_t^i
 \end{aligned}$$

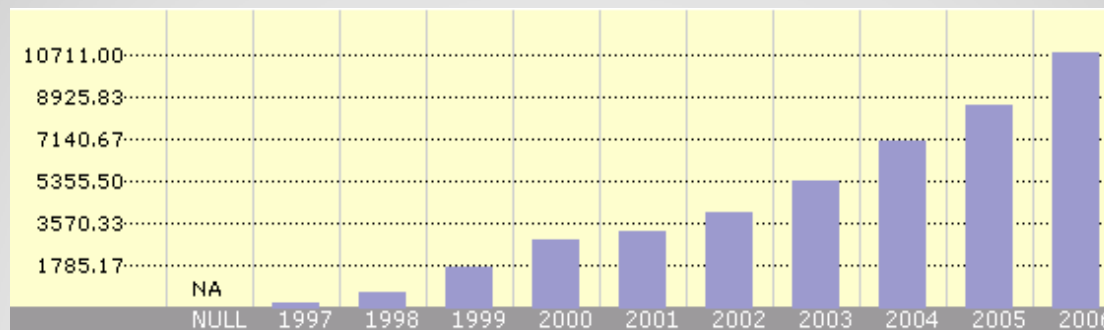
# • AMAZON.COM



- American e-commerce company



Revenue (from 1997 to 2006) \$Mil

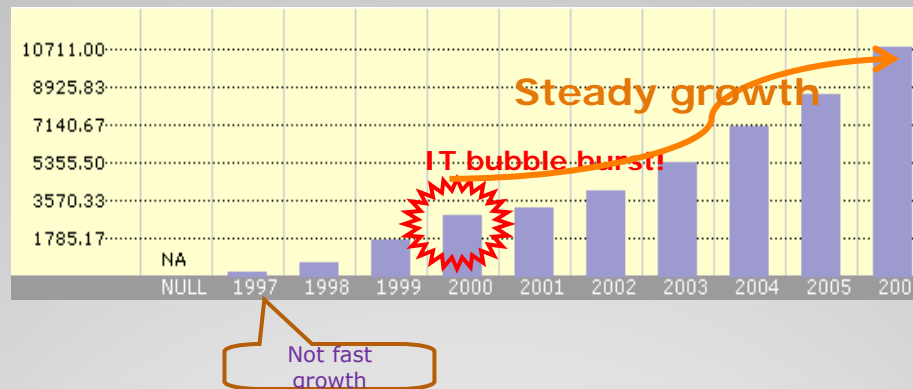


# • AMAZON.COM



- Their success came from
  - Steady growth(not fast)

Revenue (from 1997 to 2006) \$Mil



- Diversification
- CSO (Customer Service Organization)★

The Leaders and Best E-Commerce/Transaction Sites	
• Range of e-Gov scores	57 to 86
• B&N.com	88
• Amazon	87
• Ebay	80
• 1-800Flowers.com	77

# • CSO

“We believe that our ability to establish and maintain **long-term relationships** with customers and to encourage **repeat visits** and **purchases** depends on the strength of **customer service operations**” (Amazon.com 2003, p. 4).

## • Provide interface through

### • Website

- Tracking orders and shipments
- Reviewing estimated delivery dates
- Cancelling unshipped items.



### • **Contact centers (internal , external )**

- If cannot resolve inquiries using the web site
- **E-mail** or **phone call** (24hours)



## • Providing customer with good interface

- Size the capacity of contact center to respond to customer in certain amount of time



**Human Resource Planning**

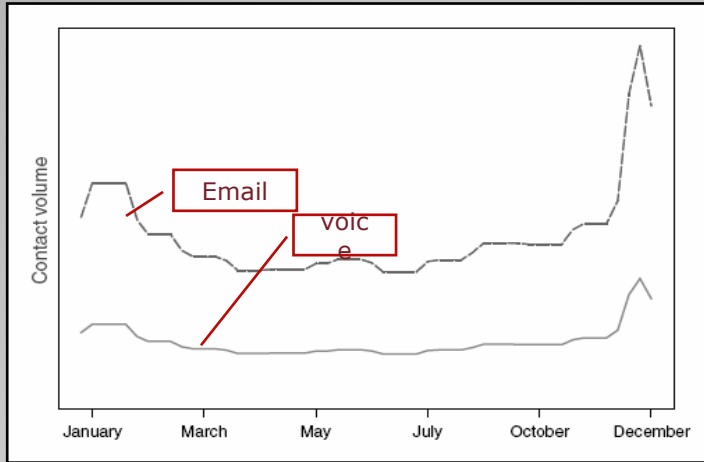
**CSO**

**Introduction**



# • Problem Setting

- Schedule the contact center (internal, external)

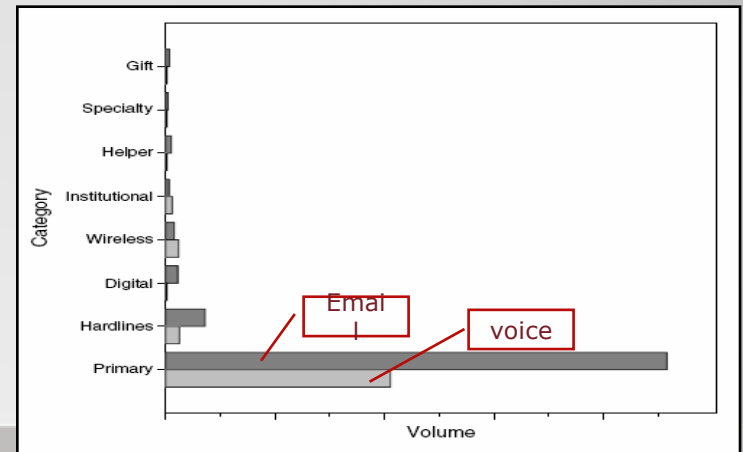


The weekly volume of contacts



Considering  
- Seasonality

Contacts divided by  
8 Category  
\*\* 8 Planning Groups



The volume of contacts by category

# Problem Setting

Problem Setting

# • Training

- Training of Customer Service Representative (CSR)



New Representative



Primary Training



Be Primary CSR



Primary CSR



Additional Training



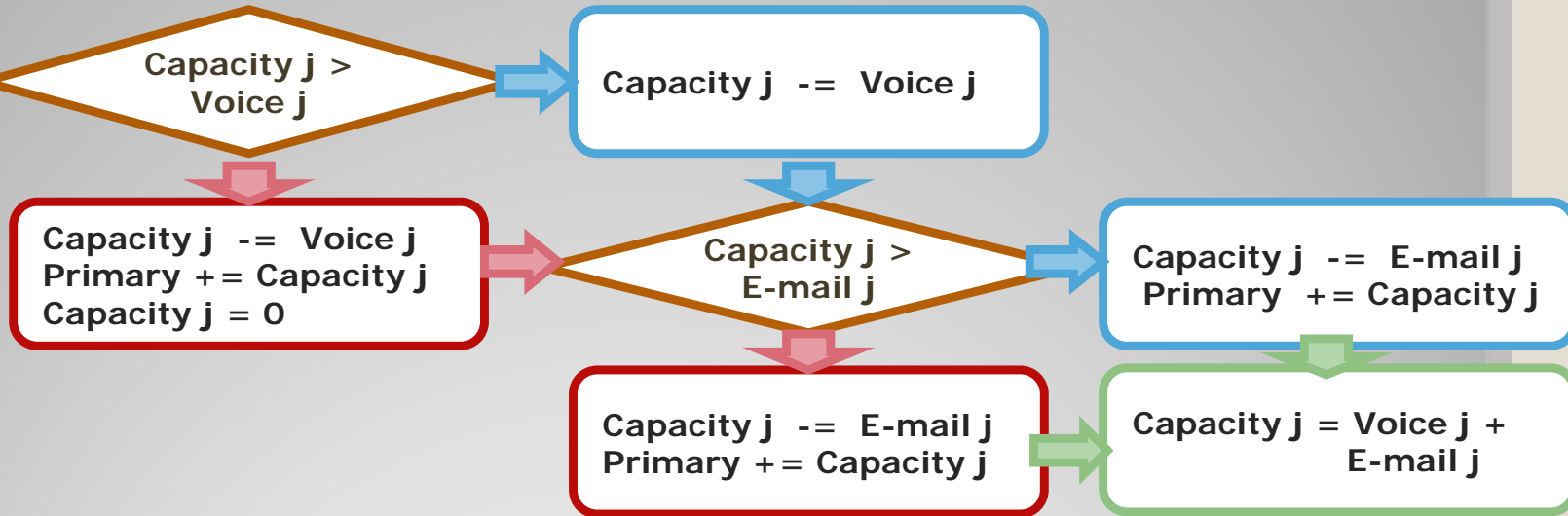
Be Special CSR

# Training of CSR

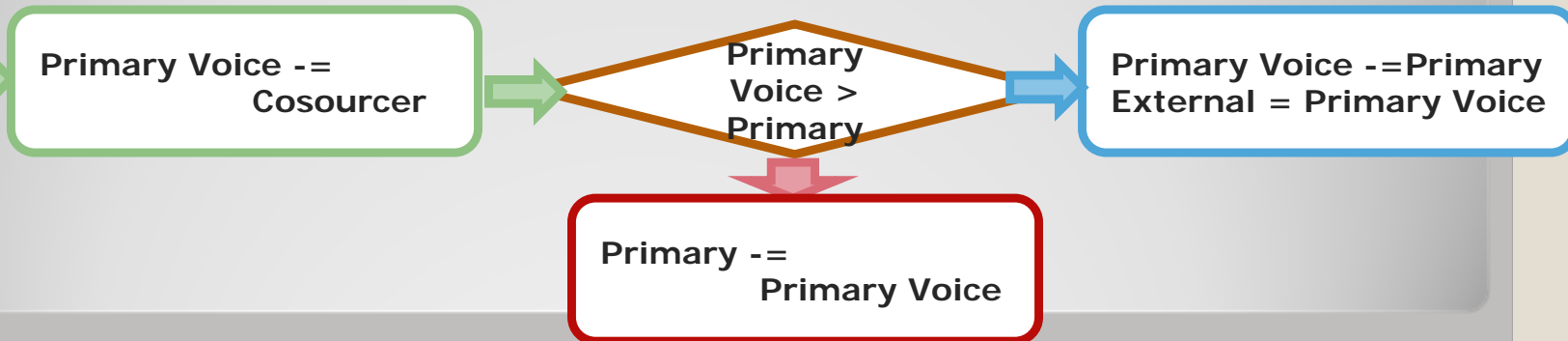
Problem Setting

# AS-IS (spread sheet based)

- Special PG (internal)  



- Primary PG



**AS-IS**

Problem Setting

## • Three Issues

- 1. how they added CSRs to teams?
  - Differences in contracts with cosources, staffing and service levels
  - Average productivity, wage differ among centers
- 2. Contract terms differ across cosourcers
  - Cost per 'Contact handled' vs 'Fixed charge'
- 3. Lack of consideration between service objectives and staffing cost
  - Ignore the randomness of arrival rate, handling time
  - No lever to allow CSO manager to consider them

- Gans Et al. (2003)
  - Comprehensive summary of the state of call-center research pertaining to capacity management
- Whitt (1999)
  - Determination of capacity in a setting with two customer classes. (one-immediately, the other response within a day)
- Armony and Maglaras (2004)
  - In a call center, customers can chose service class 1 (call back) or class 2 (wait for expected delay)

- Chen and Henderson (2001)
  - In a call center, service is divided into 2 groups. For higher priority use (tail probability), other classes use Markov's inequality
- Gans and Zhou (2002)
  - Focused on a situation where 2 classes of customers exist (high and low value). Solve a problem to determine staffing level considering outsourcing lower value class.

## • TO-BE

- **Math programming** considering three issues
- Develop **two stage solution** approach
  - Adjustment Procedure
    - Adjust contact forecasts to take into account different source of **uncertainty** and **service level objectives**
    - Hourly forecasts of e-mail and voice contact, average CSR handling time and service-level objectives



- Optimization Model
  - **Mixed integer program**
  - **Minimum-cost capacity plan** for processing **the contact forecast**

## • Adjustment

- **Step.1**  $\rho_{v,h} = \lambda_{v,h}/\mu_v$   $\rho_{e,h} = \lambda_{e,h}/\mu_e$

Without regard to service level objective

- **Step.2** Calculate the  $\tilde{\rho}_{v,h}$

With regard to service level objective using Erlang C formula

- **Step.3**  $\theta_d = \sum_h \rho_{v,h}$  ,  $\phi_d = \sum_h \rho_{e,h}$  ,  $\tilde{\theta}_d = \sum_h \tilde{\rho}_{v,h}$

- **Step.4** If  $\theta_d + \phi_d > \tilde{\theta}_d$  ,  $\gamma_d = \theta_d \cdot \mu_v$  Else  $\gamma_d = \tilde{\theta}_d \cdot \mu_v$

➔  $V_t^k = \sum_d \gamma_d$

- Step.5**  $E_t^k = \sum_d \phi_d \cdot \mu_e$

The collection of adjusted forecasts becomes **input** to the optimization model

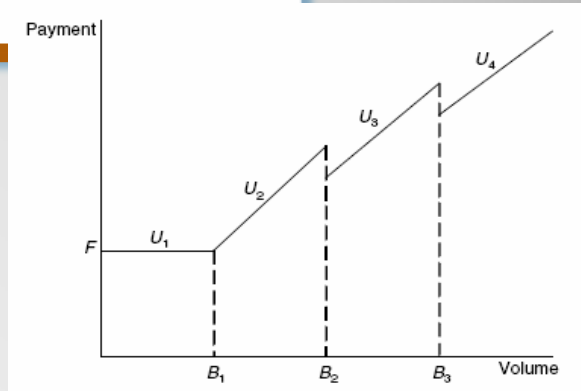
# Adjustment

Solution Approach



- Formulation in MILP
  - Objective Function

$$\begin{aligned}
 \min \quad & \sum_{t=1}^T \sum_{(i,j) \in \mathcal{G}} (N_t^{ij} n_t^{ij} + O_t^{ij} o_t^{ij}) + \sum_{t=1}^T \sum_{\{(i,j) \in \mathcal{G} \mid i=1\}} H_t^{ij} h_t^{ij} \\
 & + \sum_{t=1}^T \sum_{\{(i,j) \in \mathcal{G} \mid i \neq 1\}} S_t^{ij} s_t^{ij} + \sum_{t=1}^T \sum_{i \in \mathcal{Q}} F_t^i \\
 & - \sum_{t=1}^T \sum_{i \in \mathcal{Q}} \sum_{k=2}^{R^i} F_t^i y_{k,t}^i + \sum_{t=1}^T \sum_{i \in \mathcal{Q}} \sum_{k=1}^{R^i} U_{k,t}^i x_{k,t}^i
 \end{aligned}$$



# Optimization Model

Solution Approach

- Formulation in MILP
  - Constraints

$$\sum_{(i,j) \in \mathcal{S}} v_t^{ij,1} + \sum_{i \in \mathcal{C}^o} c_t^i \geq V_t^1, \quad t=1, \dots, T,$$

$$\sum_{(i,j) \in \mathcal{S}} e_t^{ij,1} + \sum_{i \in \mathcal{C}^e} c_t^i \geq E_t^1, \quad t=1, \dots, T,$$

$$\sum_{\{(i,j) \in \mathcal{S} \mid i=k\}} v_t^{ij,k} \geq V_t^k$$

$$\forall k \in \mathcal{C}, k \neq 1, t=1, \dots, T,$$

$$\sum_{\{(i,j) \in \mathcal{S} \mid i=k\}} e_t^{ij,k} \geq E_t^k$$

$$\forall k \in \mathcal{C}, k \neq 1, t=1, \dots, T,$$

- Formulation in MILP
  - Constraints

$$\mu_{ij,i}^{-1} v_t^{ij,i} + \sum_k \hat{\mu}_{ij,k}^{-1} e_t^{ij,k} \leq (1 - \delta^{ij})(n_t^{ij} + o_t^{ij})$$

$$\forall (i, j) \in \mathcal{G}, t = 1, \dots, T,$$

$$o_t^{ij} \leq \gamma_t^{ij} n_t^{ij} \quad \forall (i, j) \in \mathcal{G}, t = 1, \dots, T,$$

$$W^{ij} w_t^{ij} \geq n_t^{ij} \quad \forall (i, j) \in \mathcal{G}, t = 1, \dots, T,$$

$$w_{t-1}^{1j}(1 - \alpha^{1j}) - d_t^{1j} - \sum_{\{i \in \mathcal{P} \mid i \neq 1\}} s_t^{ij} + h_{t-\tau}^{1j} = w_t^{1j}$$

$$\forall j \in \mathcal{L}, t = 1, \dots, T,$$

$$w_{t-1}^{ij}(1 - \alpha^{ij}) - d_t^{ij} + s_{t-\hat{\tau}}^{ij} = w_t^{ij}$$

$$\forall (i, j) \in \mathcal{G}, i \neq 1, t = 1, \dots, T,$$

# Optimization Model

Solution Approach

- Formulation in MILP
  - Constraints

$$v_t^{ij,k} \leq \beta_t^{ij,k} V_t^k$$

$$\forall (i, j) \in \mathcal{G}, \forall k \in \mathcal{C}, t = 1, \dots, T,$$

$$e_t^{ij,k} \leq \hat{\beta}_t^{ij,k} E_t^k$$

$$\forall (i, j) \in \mathcal{G}, \forall k \in \mathcal{C}, t = 1, \dots, T,$$

$$c_t^i \leq \xi_t^i V_t^1 \quad \forall i \in \mathcal{Q}^v, t = 1, \dots, T,$$

$$c_t^i \leq \xi_t^i E_t^1 \quad \forall i \in \mathcal{Q}^e, t = 1, \dots, T,$$

$$\sum_{i \in \mathcal{Q}^v} c_t^i \leq \hat{\xi}_t^v V_t^1, \quad t = 1, \dots, T,$$

$$\sum_{i \in \mathcal{Q}^e} c_t^i \leq \hat{\xi}_t^e E_t^1, \quad t = 1, \dots, T,$$

- Formulation in MILP
  - Constraints

$$x_{k,t}^i - B_k^i y_{k,t}^i \leq 0$$

$$\forall i \in \mathcal{Q}, k = 1, \dots, R^i - 1, t = 1, \dots, T,$$

$$x_{k,t}^i - (B_{k-1}^i + 1)y_{k,t}^i \geq 0$$

$$\forall i \in \mathcal{Q}, k = 2, \dots, R^i, t = 1, \dots, T,$$

$$c_t^i = \sum_{k=1}^{R^i} x_{k,t}^i \quad \forall i \in \mathcal{Q}, t = 1, \dots, T,$$

$$\sum_{k=1}^{R^i} y_{k,t}^i = 1 \quad \forall i \in \mathcal{Q}, t = 1, \dots, T,$$

- Formulation in MILP
  - Constraints

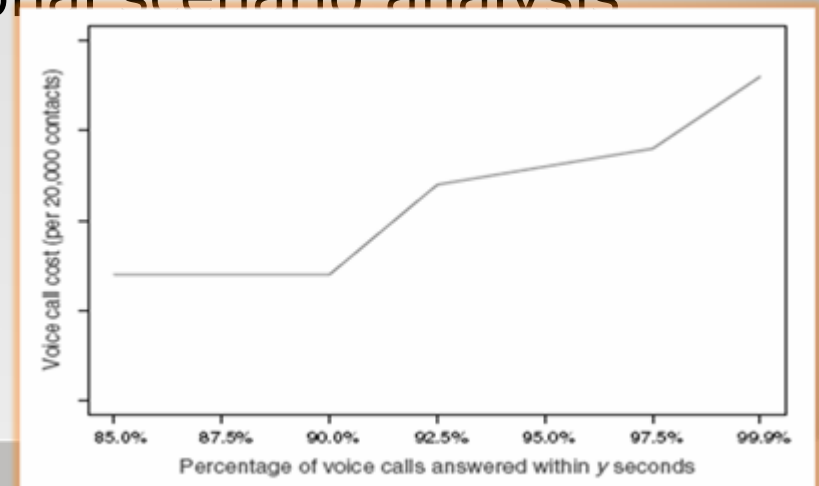
$$\begin{aligned}
 M(1 - z_t^i) &\geq (1 + \zeta^i)c_{t-1}^i - c_t^i \\
 &\quad \forall i \in \mathcal{Q}, t = 1, \dots, T, \\
 Mz_t^i &\geq c_t^i - (1 + \zeta^i)c_{t-1}^i \quad \forall i \in \mathcal{Q}, t = 1, \dots, T, \\
 M(1 - \hat{z}_t^i) &\geq c_t^i - (1 - \zeta^i)c_{t-1}^i \\
 &\quad \forall i \in \mathcal{Q}, t = 1, \dots, T, \\
 M\hat{z}_t^i &\geq (1 - \zeta^i)c_{t-1}^i - c_t^i \quad \forall i \in \mathcal{Q}, t = 1, \dots, T, \\
 M(1 - z_t^i) &\geq c_{t+\omega}^i - (1 + \zeta^i)c_t^i \\
 &\quad \forall i \in \mathcal{Q}, t = -\Omega^i + 1, \dots, T, \omega = 1, \dots, \Omega^i, \\
 -M(1 - \hat{z}_t^i) &\leq c_{t+\omega}^i - (1 - \zeta^i)c_t^i \\
 &\quad \forall i \in \mathcal{Q}, t = -\Omega^i + 1, \dots, T, \omega = 1, \dots, \Omega^i,
 \end{aligned}$$

- Experiment

- Planning Horizon = 52 weeks (1year)
- 134,000 constraints, 16,000 variables(1000 integer)
- CPLEX on an HP 9000 superdome server
- Takes less than 5 minutes (spread sheet 1day)

- Results

- Save Time, enable additional scenario analysis
- Considers 'Three Issues' not considered in AS-IS
- Increases annual operational cost savings



Results

Results

- **Reference**는 아직 다 정리가 안되어 정리 되는데로 다시 보내드리겠습니다.

**Reference**